Formal Methods in Security and Privacy (SS20)

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# Project 3 – minnieThor

**Due** | 24.07.2020 TU Wien

### Setting up Your System for the Project

For this project we will provide you with a virtual Linux machine where the required dependencies (in particular a version of z3) are already installed. We also prepared for you the parsing infrastructure for tinyEVM smart contracts that makes contract information available via a HoRSt interface.

For accessing the virtual machine please first download VirtualBox for your system:

https://www.virtualbox.org

Now follow these steps:

- 1. Download the virtual machine (VM) image from TUWEL.
- 2. Import the VM image in VirtualBox.
- 3. Start the imported VM in VirtualBox.
- 4. Log in to the VM (user: horst, no password).

In principle you are now able to execute *minnieThor* via the command line:

minniethor --help

Since it might be more convenient for you to work in your native system we configured the VM such that you can access it via SSH. To do so, please proceed as follows.

1. Within the VM access the VMs IP address by executing:

ip addr show enp0s8

The IP address of the VM is listed in the line starting with inet.

2. On your host machine you can connect to the VM using the following command:

ssh horst@<VM IP address>

3. To exchange files between your host machine and the VM you can use the scp command.

scp <file> horst@<VM IP address>:~

would copy the file < file > from your host machine to the VM's home directory.

For Linux users, the described steps should work smoothly. For Mac and Windows users however the following needs to be taken into account

• Installing VirtualBox on Mac might cause some troubles. If you should run into issues, please follow the steps described in this article:

https://medium.com/@DMeechan/

fixing-the-installation-failed-virtualbox-error-on-mac-high-sierra-7c421362b5b5

- The network adapter needed for accessing the VM might not be created or set automatically. This will cause troubles when starting the VM. To solve this issue
  - 1. Open  $File \rightarrow Host\ Network\ Manager$ .
  - 2. Click Create to create a new network adapter (which will be called vboxnet0).
  - 3. Close the Host Network manager and open the settings of our VM.
  - 4. Select the tab *Network* and there again *Adapter 2*.
  - 5. Tick Enable Network Adapter and make sure the Attached to: item is set to Host-only Adapter.
  - 6. Select under *Name*: the just created *vboxnet0* adapter that should now be available in the drop-down menu.

On Windows, the network adapter should be created automatically, but might not be set. It should be sufficient to follow steps 3) to 6).

For further information, please have a look at the tutorial videos for HoRSt where we walk you through the set-up of the project including the technicalities for the usage with Macs.

#### General Remarks

- Before you start with the project read the submission instructions carefully. Since there will often be hints at the end of the exercises, please read the *whole* exercise before starting it.
- Be neat and hand in readable (possibly annotated) HoRSt and tinyEVM bytecode files since we might need to manually check them. Comments in HoRSt files or tinyEVM bytecode files can either be written as line comments ( // this is a line comment ) or as multi-line comments ( /\* this is a multi-line comment \*/ ).
- Please use the file names specified in the exercise descriptions and the submission instructions.
- The exercises of this project are divided into tasks and questions:
  - Tasks refer to the practical part of the project and shall be provided as .txt files (either HoRSt specifications or tinyEVM bytecode contracts). The file abstract-semantics.txt already contains the selector function interface and some preliminary definitions.
  - Questions refer to the theoretical part of the project and should be answered in the file report.pdf. You will find questions in most of the following exercises. Please make sure to answer all these questions and insert explanations where required in the report.pdf file. We emphasize that it is inherently necessary to answer the questions and fill explanations in order to receive full points.

### **Project Overview**

The goal of this project is to build minnieThor, a sound static analyzer for the tinyEVM bytecode language that was presented in the lecture. Of course we do not ask you to write such an analyzer from scratch, but you will make use of our generic analysis framework HoRSt that allows for giving high-level logical specifications of the abstract semantics in terms of Horn clauses. We already prepared infrastructure for parsing tinyEVM bytecode contracts such that contract information will be available by the following selector function interface:

```
sel pcs: unit -> [int];
sel pcsForOpcode: int -> [int];
sel argumentForPc: int -> [int];
```

The selector function pcs returns the set of all positions of the program. The selector function pcsForOpcode returns for the integer encoding of an opcode the set of program counters at which the specified opcode occurs in the program. Finally, the selector function argumentsForPc returns for a program position the singleton set containing the argument to the opcode at the specified position. This function can only be invoked on such program positions that contain a a PUSH, a JUMP, or a JUMPI instruction, since these are the only opcodes carrying arguments. When being invoked on another program positions, argumentsForPc throws an exception.

You can use these selector functions in your HoRSt analysis specification to parametrize the logical rules that constitute the abstract semantics of tinyEVM bytecode. For getting started with the initial setup and to get a short introduction into the HoRSt language and how it is used to write a Horn clause based abstract semantic, please have a look at our online tutorial.

Even though minnieThor will be (such as eThor) a general analyzer for reachability properties, we will in this project mainly focus on the single-entrancy property of smart contracts. As discussed in the lecture, the single-entrancy property shall prevent a contract from being reentered during execution. We will in the following give a short summary and motivation of this property.

### Checking Single-entrancy

Single-entrancy is motivated by reentrancy bugs, which were also presented in the lecture. The most famous representative of this class is the so called DAO bug that led to a loss of 60 million dollars in June 2016. In an attack exploiting this bug, the affected contract was drained out of money by subsequently reentering it and performing transactions to the attacker on behalf of the contract. The cause of such bugs mostly roots in the developer's misunderstanding of the semantics of Solidity's <sup>1</sup> call primitives. In general, calling a contract can invoke two kinds of actions: Transferring Ether to the contract's account or executing (parts of) a contract's code. In particular, Solidity's call construct (being translated to a CALL instruction in EVM bytecode) invokes the execution of a fraction of the callee's code – specified in the so called fallback function. In Solidity, a contract's fallback function is written as a function without names or argument as depicted in the Mallory contract in Figure 1b. Consequently, when using the call construct the developer may expect an atomic value transfer where potentially another contract's code is executed. For illustrating how to exploit this sort of bug, we consider the contracts in Figure 1. The function ping of contract Bob sends an amount of 2 (sub)coins to the address specified in the argument. However, this should only be possible once, which is potentially ensured by the sent variable that is set to one after

<sup>&</sup>lt;sup>1</sup>Currently Solidity is considered to be the main language for Smart contract development.

```
contract Bob{
     uint sent = 0;
    function ping ( address c) {
3
      if (sent < 1){
        c.call.value(2)();
                                           contract Mallory{
         sent = 1;
                                              function(){
      }
                                                Bob(msg.sender).ping(this);
7
                                         3
    }
                                              }
8
                                         4
                                           }
  }
```

(a) Smart contract with reentrancy bug

(b) Smart contract exploiting reentrancy bug

Figure 1: Reentrancy Attack

```
PUSH 4294967295;
                  \\ get value of sent
      SLOAD;
      PUSH 1;
                  \\ check 1 <= sent (= !(sent < 1))
      LE;
      JUMPI 13;
                  \\ - oa
      PUSH 64;
      PUSH 0
                  \\- id
      PUSH 2;
                  \\- va
      INPUT;
                  \\- to
      CALL;
      PUSH 1;
10
      PUSH 4294967295;
11
      SSTORE;
                  \ sent = 1
12
      STOP;
13
```

Figure 2: bob.txt: (Simplified) bytecode for the Bob contract in Figure 1a.

the successful money transfer. Instead, it turns out that invoking the call.value function on a contract's address invokes the contract's fallback function as well.

Given a second contract Mallory, it is possible to transfer more money than the intended 2 (sub)coins to the account of Mallory. By invoking Bob's function ping with the address of Mallory's account, 2 (sub)coins are transferred to Mallory's account and additionally the fallback function of Mallory is invoked. As the fallback function again calls the ping function with Mallory's address another 2 (sub) coins are transferred before the variable sent of contract Bob was set. This looping goes on until all gas of the initial call is consumed or the callstack limit is reached. In this case, only the last transfer of (sub)coins is reverted and the effects of all former calls stay in place. Consequently the intended restriction on contract Bob's ping function (namely to only transfer 2 (sub) coins once) is circumvented.

We present the reentrancy bug using Solidity code of the Bob contract. However our analysis will be defined in terms of tinyEVM bytecode, therefore in Figure 2 we show the (simplified) version of the bytecode for the Bob contract.

The bytecode execution starts by pushing the value 4294967295 to the stack in Line 0. We assume that this is the position in the contract storage where the value of sent is stored (see also Figure 1a

Line 2). This value is then pushed to the stack at Line 1 by the SLOAD instruction. Next the value 1 is pushed to the stack and compared to the value of sent at Line 3. If sent is bigger or equal than 1 (which corresponds to the original condition sent < 1 in Figure 1a Line 4 being false), the LE instruction will push 1 to the stack and 0 otherwise. After the comparison we perform a conditional jump: if the value on top of the stack is 0 we go to Line 5, otherwise jump to Line 13 (where we stop). There are three subsequent pushes at Line 5 - 7: The first specifies the output address value for the call (64), the second provides the input data (0), and the last one pushes the value to be transferred (2). The INPUT instruction at Line 8 pushes the address of the destination account which is read from the call input (corresponding to the fact that the recipient is given as argument c in bob.txt). Lines 5-8 make all necessary data available for the CALL at Line 9. After performing the CALL at Line 10 we push 1 to the stack and at Line 12 store 1 at the position 4294967295 (pushed at Line 11), i.e., we set the value of sent to 1.

For checking single entrancy, we will check whether it is ever possible to reach a CALL in a reentering execution. If no such CALL instruction can ever be reached, the contract is guaranteed to be safe. To check this automatically, we will follow the steps below:

- 1. We encode an over-approximation of the *tinyEVM* bytecode semantics in *HoRSt* (abstract-semantics.txt) following the abstract semantics presented in the lecture.
- 2. We encode single entrancy as an (un)reachability query (queries.txt). Intuitively, this query will require that it is not possible to reach a CALL instruction when reentering.
- 3. We invoke *minnieThor* on the abstract semantics (abstract-semantics.txt), the reachability query (queries.txt) and the contract bob.txt as follows:

```
minniethor bob.txt -s abtract-semantics.txt queries.txt
```

minnieThor will parse the contract and generate using abstract-semantics.txt a Horn clause encoding of the abstract semantics of bob.txt. On this Horn clause representation it will invoke z3's fixed point engine to determine whether the abstract configurations encoded by queries.txt are reachable or not. For the case of single-entrancy queries.txt will translated to individual queries for all CALL instructions of the contract. Since bob.txt has only a single CALL instruction, only one query will be produced. minnieThor will report the result of z3 on this query:

query id: reentrancyCall\_9

2 execution time: 15

3 result: SATISFIABLE

The first line identifies the query, using the query name (here reentrancyCall) and the program counter (here 9). The second line gives the execution time needed to solve the query in milliseconds. Finally, the result indicates whether the abstract state encoded by the query is reachable (so the reachability query is SATISFIABLE) or unreachable (so the reachability query is UNSATISFIABLE). Consequently for the bob.txt, its single query being UNSATISFIABLE would indicate that it is safe: in this case it is impossible to reach its CALL instruction when reentering. A SATISFIABLE result indicates that it cannot be excluded that the CALL instruction is reached when reentering. Consequently, the contract could potentially be vulnerable (violate single entrancy). When invoking minnieThor on a contract with more than one CALL instruction, such a contract can only be considered safe if all queries that are produced for this contract (the queries for all the CALL instructions) give an UNSATISFIABLE result. This is as it needs to be excluded that any CALL instruction is reachable after reentering a contract.

# Exercise 3.1: Abstract Semantics (15 points)

Implement a sound abstract semantics for tinyEVM Bytecode. To do so, extend the *HoRSt* specification in abstract-semantics.txt to implement abstract rules for all *tinyEVM* bytecode instructions (*task*). You can find a full account of the *tinyEVM* small step semantics in smallstep.pdf. To get started, have a look at our tutorial, where we show you how to proceed for the first two instructions. To check the correctness of your implementation, run the tests that we provide.

We prepared two test contracts, one for local instructions and one for the CALL instruction. You can run the local tests as follows:

minniethor local-contract.txt -s abstract-semantics.txt test-infrastructure.txt local-tests.txt

The CALL tests can be invoked by

minniethor call-contract.txt -s abstract-semantics.txt test-infrastructure.txt call-tests.txt

Please have a look at the tutorial for an overview of how HoRSt tests are written and for getting familiar with our testing infrastructure. This will help you debugging.

As a final test, check that your analyzer identifies bob.txt to be potentially reentrant by running

minniethor bob.txt -s abstract-semantics.txt queries.txt

# Exercise 3.2: Fixing reentrancy (5 points)

Fix the bob.txt contract not to exhibit a reentrancy vulnerability anymore. To this end create a tinyEVM contract alice.txt that implements the same functionality as bob.txt, but that is single-entrant (task). Explain why this contract is safe (question). Verify the result by checking alice.txt with your analyzer from the previous exercise.

# Exercise 3.3: Soundness of the CALL rules (20 points)

Below we propose several modifications of the CALL abstraction presented in the lecture. Changes with respect to the original rules are highlighted in red.

- Which of them are sound, which are not? (question)
- For each sound set of rules, give an intuition why they are sound. To this end, refer to the three different ways of storage propagation presented in the lecture and explain how they are covered by the corresponding sound rule set (question).
- For each unsound set of rules, give a counter example smart contract that contradicts the soundness. To this end, prepare for each unsound rule set a file counter-examplex.txt (where x is the number of the rule set) containing a tinyEVM bytecode program that is reentrant, but will be erroneously proven safe when replacing the CALL rules with the rule set x (task).

For each of these smart contracts, describe a concrete reentrancy attack that would be possible (question).

Hint As a sanity check, implement all the presented CALL rules and run the resulting analysis on the example contract. Make sure that all sound analyses label your example contracts vulnerable, and each unsound analysis labels the corresponding counter example contract safe. Please also commit the implementations of your CALL rule implementations in separate files named callx.txt (where x is the number of the rule set) that contain only the respective CALL rule. Note that since you can provide several HoRSt files to minnieThor, the most convenient way of testing is to create a version of the abstract semantics (as implemented abstract-semantics.txt) without the CALL rule and to provide the different CALL rule variants as separate files.

```
\mathsf{ExState}_{pc}((size, sa), ma, in, stor, cl)
                 \mathsf{ExState}_{pc}((size, sa), ma, in, stor, cl)
                                                                                                                 \land size > 3
1.
                  \land size > 3
                                                                                                                 \wedge \mathsf{Halt}(stor_{inv}, r, 1)
                  \Rightarrow \mathsf{ExState}_0((0, \lambda x.0), \lambda x.0, \top, stor, 1)
                                                                                                                 \Rightarrow \mathsf{ExState}_0((0, \lambda x.0), \lambda x.0, \top, stor_{inv}, 1)
                                             \mathsf{ExState}_{\mathit{nc}}((\mathit{size}, \mathit{sa}), \mathit{ma}, \mathit{in}, \mathit{stor}, \mathit{cl})
                                              \land size > 3
                                              \wedge sa[size - 4] = \top
                                              \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_\top^{(size-4)}),\lambda x.\top,in,\lambda x.\top,cl)
                                             \mathsf{ExState}_{pc}((size, sa), ma, in, stor, cl)
                                              \land size > 3
                                              \wedge p = sa[size - 4] \wedge p \in \mathbb{N}
                                              \wedge \text{Halt}(stor_{inv}, r, 1)
                                              \Rightarrow \mathsf{ExState}_{pc+1}((size-3, sa^{(size-4)}_\top), \underline{ma^p_r}, in, \lambda x. \top, cl)
```

$$\begin{array}{ll} \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) & \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ \wedge size > 3 & \wedge size > 3 \\ \Rightarrow \operatorname{ExState}_{0}((0,\lambda x.0),\lambda x.0,\top,stor,1) & \wedge size > 3 \\ \wedge \operatorname{Halt}(stor_{inv},r,1) \\ \Rightarrow \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ \wedge size > 3 & \Rightarrow \operatorname{ExState}_{pc+1}((size-3,sa_{\top}^{(size-4)}),\lambda x.\top,in,stor,cl) \\ & \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ & \times \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ & \wedge \operatorname{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ & \times \operatorname{ExState}_{pc}((siz$$

$$\begin{split} \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \wedge \mathit{size} > 3 \\ \Rightarrow \mathsf{ExState}_0((0,\lambda x.0),\lambda x.0,\top,\mathit{stor},1) \\ 3. \\ \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \wedge \mathit{size} > 3 \\ \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_\top^{(size-4)}),\lambda x.\top,\mathit{in},\lambda x.T,\mathit{cl}) \end{split}$$

$$\begin{aligned} \mathsf{ExState}_{pc}((size,sa),ma,in,stor,cl) & \mathsf{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ 4. & \wedge size > 3 & \wedge size > 3 \\ & \wedge v = sa[size-3] & \wedge \mathsf{Halt}(stor_{inv},r,1) \\ & \Rightarrow \mathsf{ExState}_{0}((0,\lambda x.0),\lambda x.0,v,stor,1) & \Rightarrow \mathsf{ExState}_{0}((0,\lambda x.0),\lambda x.0,\top,stor_{inv},1) \\ & & \mathsf{ExState}_{pc}((size,sa),ma,in,stor,cl) \\ & \wedge size > 3 \\ & \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_{\top}^{(size-4)}),\lambda x.\top,in,\lambda x.\top,cl) \end{aligned}$$

$$\begin{array}{l} \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \\ \wedge \mathit{size} > 3 \\ \Rightarrow \mathsf{ExState}_{0}((0,\lambda x.0),\lambda x.0,\top,\mathit{stor},1) \\ & \Rightarrow \mathsf{ExState}_{0}((0,\lambda x.0),\lambda x.0,\top,\mathit{stor},1) \\ & \Rightarrow \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \\ \wedge \mathit{size} > 3 \\ & \Rightarrow \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \\ \wedge \mathit{size} > 3 \\ & \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_{1}^{(size-4)},\lambda x.\top,\mathit{in},\lambda x.\top,\mathit{cl}) \\ \\ & \qquad \mathsf{ExState}_{pc}((size,sa),\mathit{ma},\mathit{in},\mathit{stor},\mathit{cl}) \\ \wedge \mathit{size} > 3 \\ & \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_{0}^{(size-4)},\mathit{ma},\mathit{in},\lambda x.\top,\mathit{cl}) \\ \\ & \Rightarrow \mathsf{ExState}_{pc+1}((size-3,sa_{0}^{(size-4)},\mathit{ma},\mathit{in},\lambda x.\top,\mathit{cl}) \\ \end{array}$$

### **Submission Instructions**

Please submit your solution by 24.07.2020 on TUWEL.

Your submission must be a single archive your-group-number.zip containing the following files:

Part	Required files
General	report.pdf
3.1	abstract-semantics.txt
3.2	alice.txt
3.3	counter-example x.txt, call i.txt

Where  $i \in \{1, 2, 3, 4, 5\}$  and  $x \in S$  where  $S \subseteq \{1, 2, 3, 4, 5\}$  denotes the rule sets that you identified to be unsound. The .pdf file which contains all your answers and explanations should be generated using the .tex template provided on TUWEL.